Abstract. Let $\mathfrak{o}_K$ be the integral closure of $\mathbb{Z}_p$ in a finite field extension K of $\mathbb{Q}_p$, and let F be a one-dimensional full formal group defined over $\mathfrak{o}_K$. We study certain finite subgroups C of F and prove a conjecture of Jonathan Lubin concerning the absolute endomorphism ring of the quotient F/C when F has height 2. We also investigate ways in which this result can be generalized to p-adic formal groups of higher height.